

HOMWORK II

①

Organization of the code

input parameters: $\left\{ \begin{array}{l} N \text{ (number of particles)} \\ \Delta_0 \text{ (shift in the Metropolis routine)} \\ L/\sigma \text{ (derive it from } \rho\sigma^3) \\ \beta_T = \epsilon/kT \end{array} \right.$

Define a vector $\text{poshois}[N][3] \leftarrow$ the coordinates

3 routines

- ① a routine that creates the starting conf
- ② a routine that performs an iteration
- ③ a routine that measures virial and pot. energy
(also the histograms needed for $g(r)$ in the last part)

① starting conf

```

for i: ... N
  xi = L * RAN()  yi = L * RAN()  zi = L * RAN()
endfor
  
```

② iteration

```

for i: 1 ... N
  generate  $\vec{r}$  in box around  $r_i$  (cube  $\Delta^3$ )
  perform acceptance check: compute  $\Delta U$  and
  use Metropolis acceptance
  if accepted  $\vec{r}_i = \vec{r}$ 
endfor
  
```

②

③ measure
 energy = 0 = virial
 for $i: 2, N$ (we sum $i < j$)
 for $j: 1 \dots i-1$
 energy = energy + $V(i-j)$
 virial = virial + virial $(i-j)$
 endfor
 endfor

program

generate starting conf (routine ①)
 for $i: 1, \dots$ number of iterations
 perform an iteration (routine ②)
 perform a measure (routine ③)
 save on disk, energy, virial, number of accepted moves
 endfor

BASIC ROUTINE: RAN()

Any routine is good for our purposes
 For "professional" simulations, RAN() should be
 chosen very carefully

Before using it perform a short run and
 verify, e.g., $\langle x \rangle = \frac{1}{2}$, $\langle x^2 \rangle = \frac{1}{3}$, $\langle x^3 \rangle = \frac{1}{4} \dots$
