

# Reminder

all salts are strong electrolytes fully dissociated in water

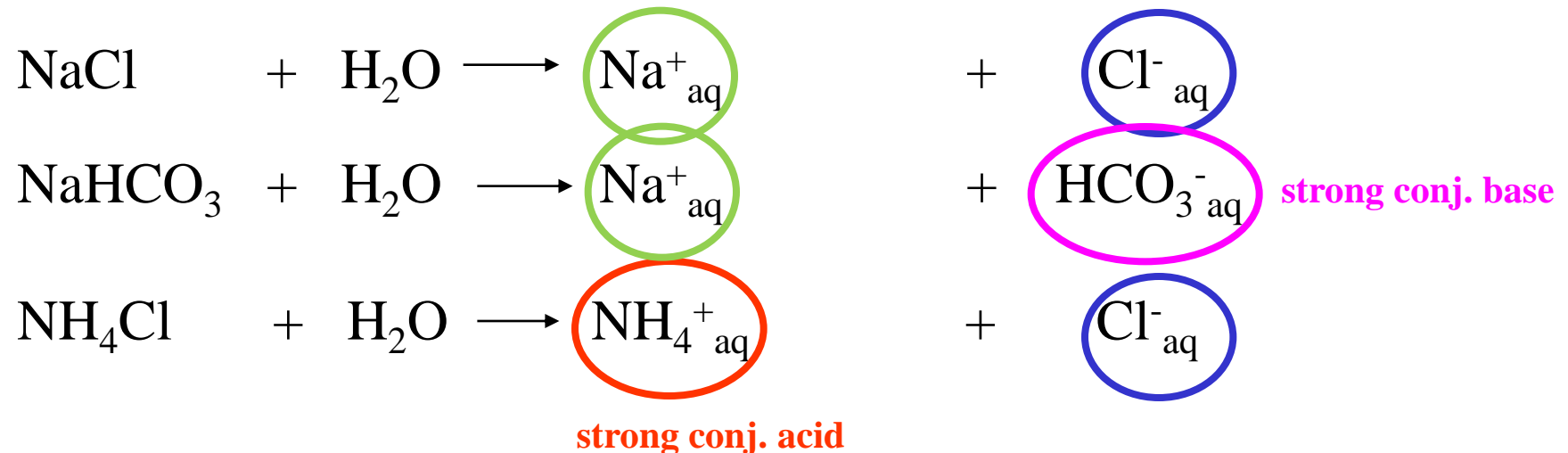
$$\alpha = 1$$

but

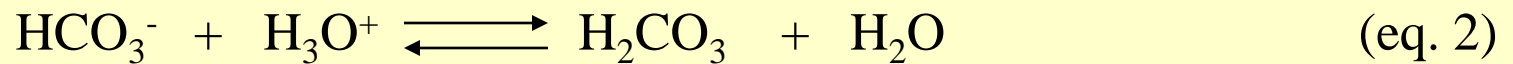
Just after (infinitesimal time) ...!

very weak conj. acid

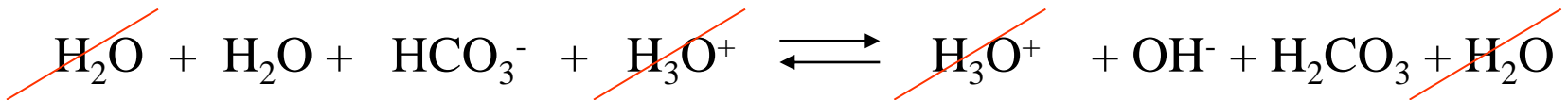
very weak conj. base



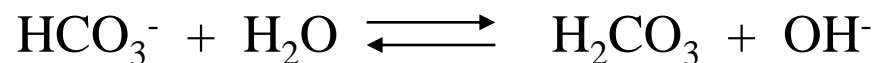
$\text{Na}^+\text{HCO}_3^-$  (sodium-bicarbonate !)



*these 2 equilibria coexist in the same solution*

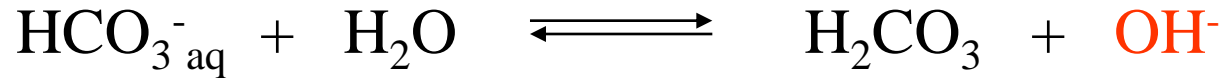
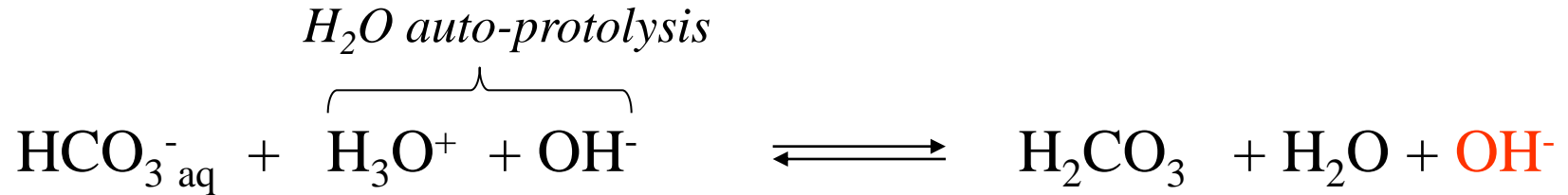


*let's simplify (by cancelling species identical before and after reaction)*



*Net hydrolytic event*

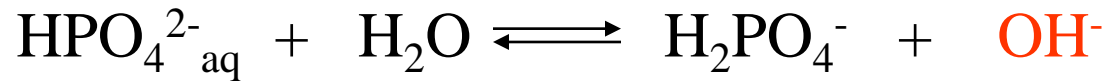
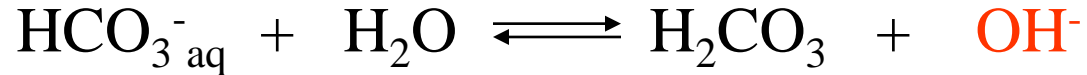
# Hydrolysis



## Salt hydrolysis

<i>Salt formula</i>	<i>Derived from</i>	<i>pH</i>
$\text{CH}_3\text{COO}^-\text{Na}^+$	<i>weak acid – strong base (basic salt)</i>	↑
$\text{NH}_4^+\text{Cl}^-$	<i>weak base – strong acid (acidic salt)</i>	↓
$\text{CH}_3\text{COO}^-\text{NH}_4^+$	<i>both weak – acid and base (pH depends...)</i>	↑ ↓
$\text{K}^+\text{Cl}^-$	<i>both strong – acid and base (no hydrolysis)</i>	<b>7.0</b>

The strong conjugated species react with H<sub>2</sub>O (...the H<sup>+</sup> and OH<sup>-</sup>)

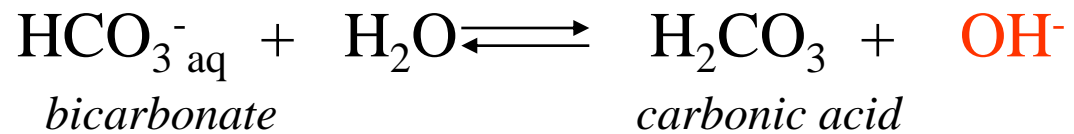
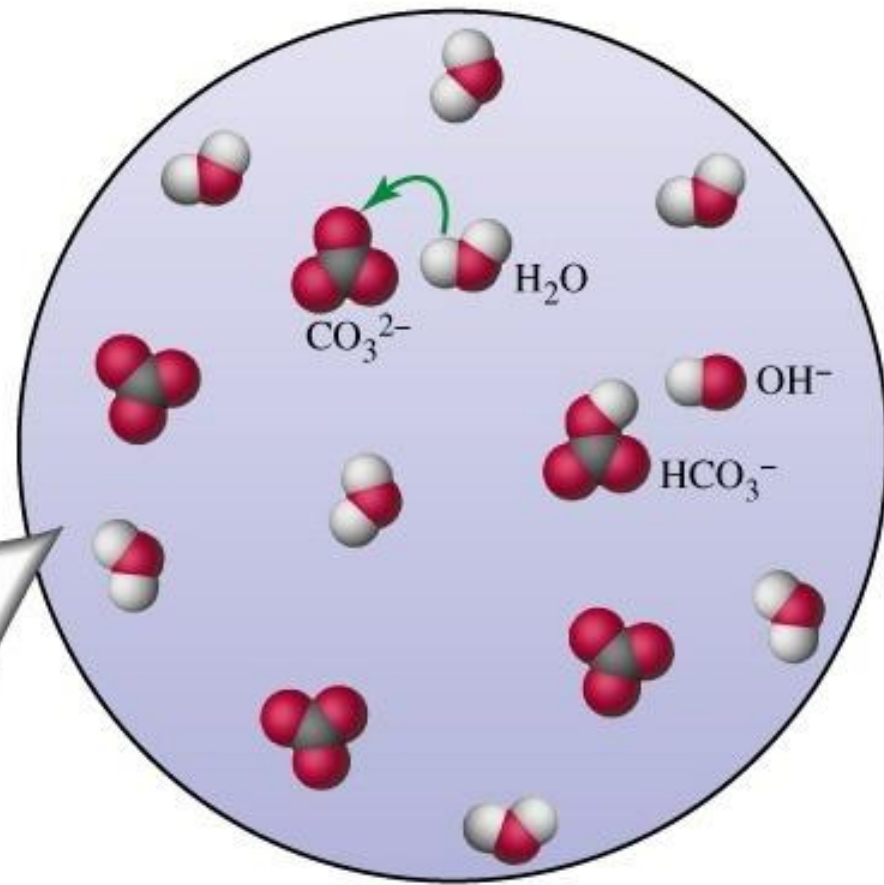
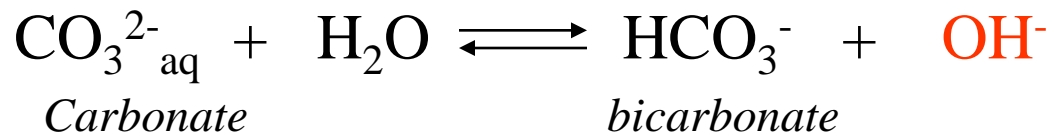


and pH varies

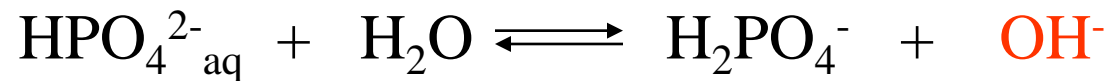
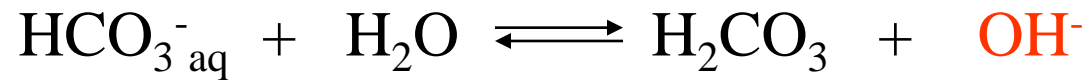
*Ex.s all salts of bio-cellular interest:*

*Salts deriving from organic acids (Krebs cycle), pyruvate lactate, succinate, oxalacetate...etc.*



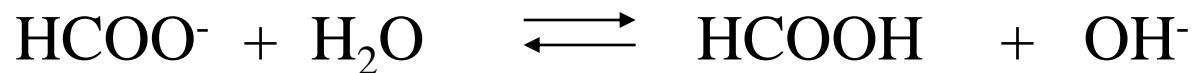
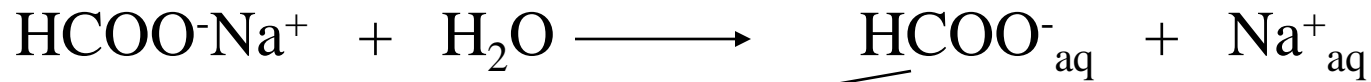


## Hydrolysis reactions (net)



# Basic (Alkaline) hydrolysis, *evaluating pH*

Salt in solution (*added or therein generated*) !



Basic hydrolysis!

$$K_{\text{eq}} = \frac{[\text{HCOOH}] [\text{OH}^-]}{[\text{HCOO}^-] [\text{H}_2\text{O}]}$$

$$K_{\text{eq}} = \frac{[\text{HCOOH}] [\text{OH}^-]}{[\text{HCOO}^-] [\text{H}_2\text{O}]} \rightarrow K_{\text{eq}} \times [\text{H}_2\text{O}] = K_{\text{i}} = \frac{[\text{HCOOH}] [\text{OH}^-]}{[\text{HCOO}^-]}$$



# Alkaline hydrolysis, *evaluating pH*

$$K_{\text{eq}} = \frac{[\text{HCOOH}] [\text{OH}^-]}{[\text{HCOO}^-] [\text{H}_2\text{O}]} \rightarrow K_{\text{eq}} \times [\text{H}_2\text{O}] = K_i = \frac{[\text{HCOOH}] [\text{OH}^-]}{[\text{HCOO}^-]}$$

$$K_i = \frac{[\text{OH}^-]^2}{[\text{HCOO}^-]}$$

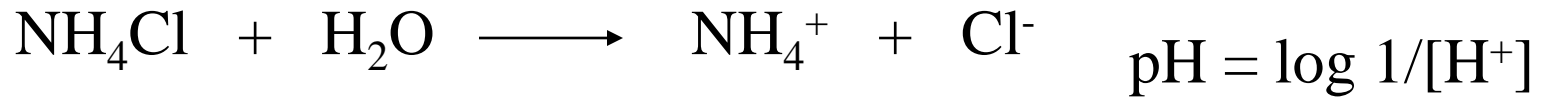
$$[\text{HCOO}^-] \approx C_s$$

$$[\text{OH}^-] = \sqrt{K_i \times C_s}$$

$$\text{pOH} = \log 1/[\text{OH}^-] \rightarrow \text{pH} = 14 - \text{pOH}$$

# Acidic hydrolysis, *evaluating pH*

Salt in solution (*added or therein generated*) !

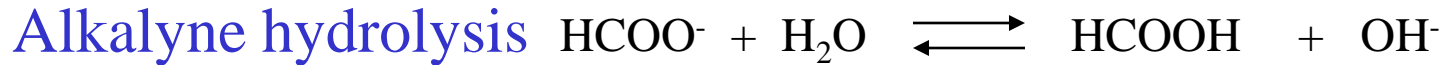


$$K_i = \frac{[\text{NH}_4\text{OH}] [\text{H}^+]}{[\text{NH}_4^+]} \rightarrow [\text{H}^+]^2 = K_i \times [\text{NH}_4^+]$$

$$[\text{H}^+] = \sqrt{K_i \times C_s}$$

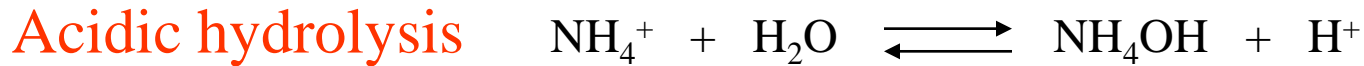
$$K_{\text{eq}} = \frac{[\text{NH}_4\text{OH}] [\text{H}^+]}{[\text{NH}_4^+] [\text{H}_2\text{O}]} \rightarrow K_{\text{eq}} \times [\text{H}_2\text{O}] = K_i = \frac{[\text{NH}_4\text{OH}] [\text{H}^+]}{[\text{NH}_4^+]}$$

# K<sub>i</sub>, K<sub>w</sub> and K<sub>a</sub> or K<sub>b</sub>



$$K_i = \frac{[\text{HCOOH}][\text{OH}^-]}{[\text{HCOO}^-]} = \frac{[\text{HCOOH}][\text{H}^+]}{[\text{HCOO}^-]} \cdot \frac{K_w}{[\text{H}^+]} = \frac{K_w}{K_a}$$

$$\text{OH}^- = \frac{K_w}{\text{H}^+}$$

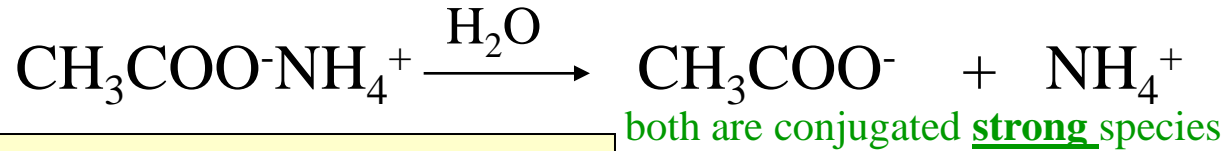
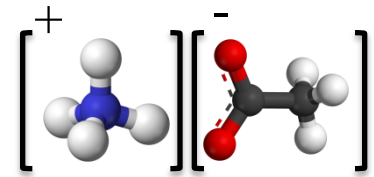


$$K_i = \frac{[\text{NH}_4\text{OH}][\text{H}^+]}{[\text{NH}_4^+]} = \frac{[\text{NH}_4\text{OH}][\text{OH}^-]}{[\text{NH}_4^+]} \cdot \frac{K_w}{[\text{OH}^-]} = \frac{K_w}{K_b}$$

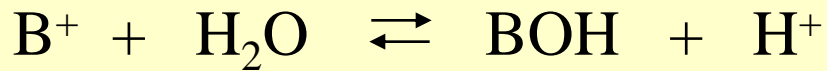
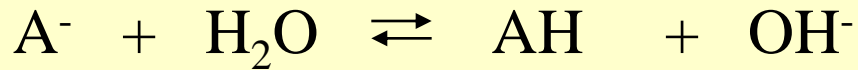
$$\text{H}^+ = \frac{K_w}{\text{OH}^-}$$



# Ammonium acetate



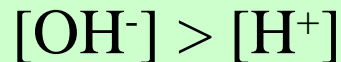
The two equilibria coexist



$$K_i = \frac{K_w}{K_a + K_b}$$

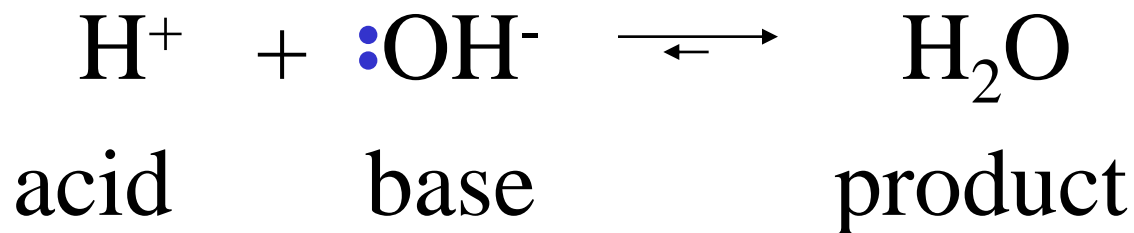
pH will vary consistently with the values of  $K_a$  and  $K_b$ .

*e.g.* if  $K_a < K_b$  then the conjugated base of the acid,  $\text{A}^-$ , is (relatively) stronger than the conjugated acid,  $\text{B}^+$ , of the base, and...

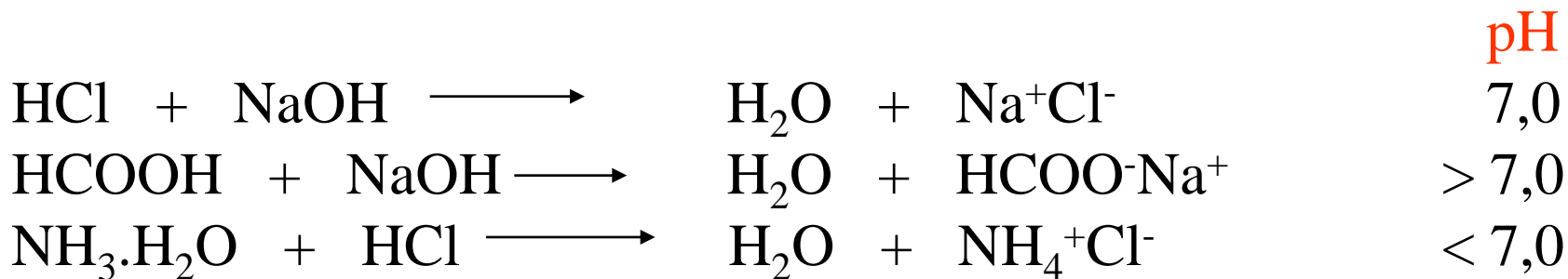


Therefore pH...??

**Acid/base reaction:  
Simple stoichiometry (1:1)  
stable product**

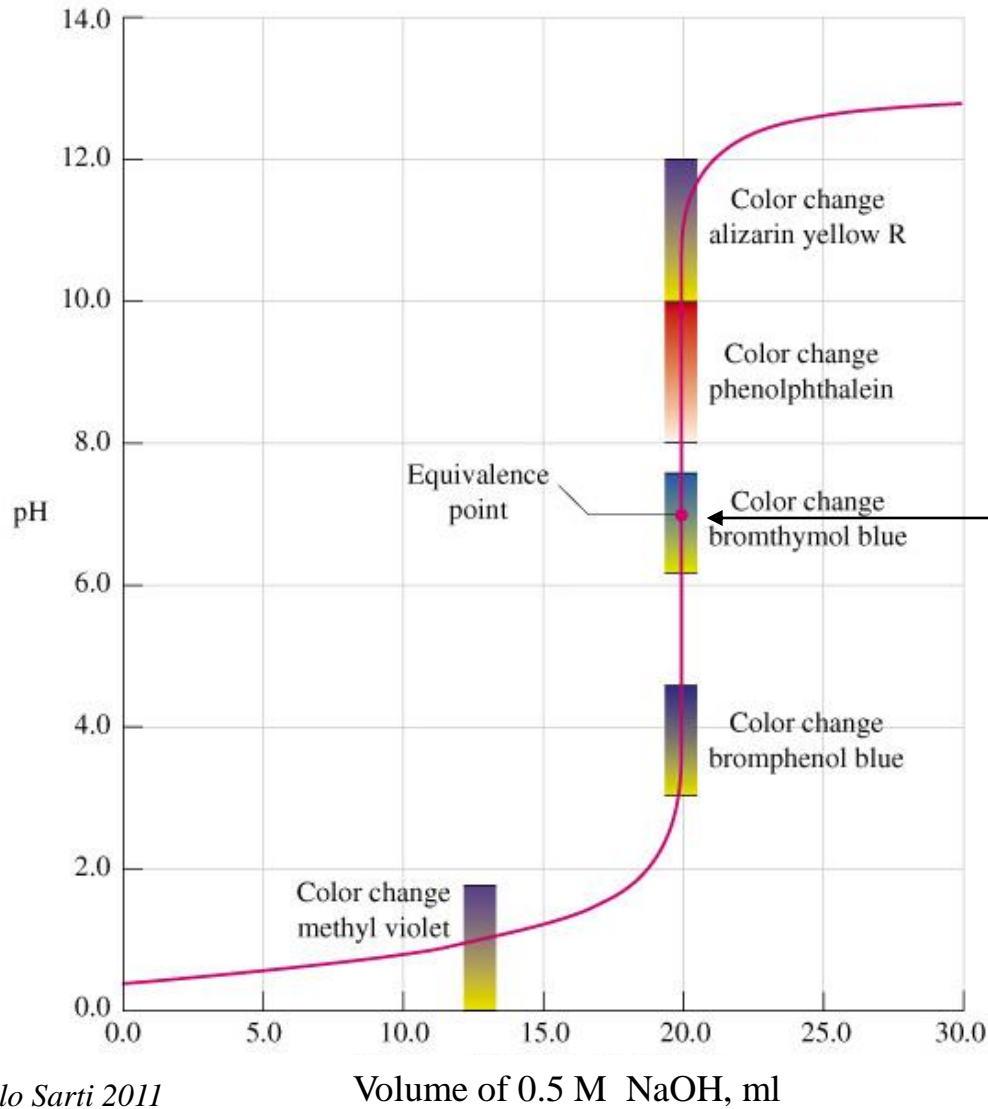
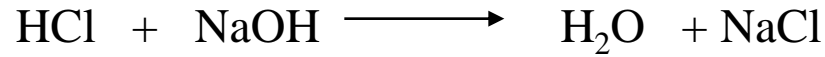


$$\Delta G \ll 0 = 15 \text{ Kcal/mol}$$

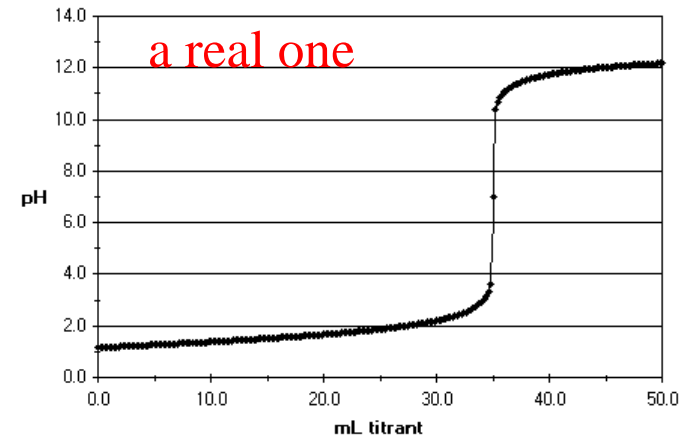


# ACID-BASE titration

Strong acid & strong base



*Equivalence*  
pH = 7.0



## Weak acid & strong base

Let's work out pH under these conditions:

- 1) In the absence of base
- 2) 50% neutralization
- 3) 100% neutralization

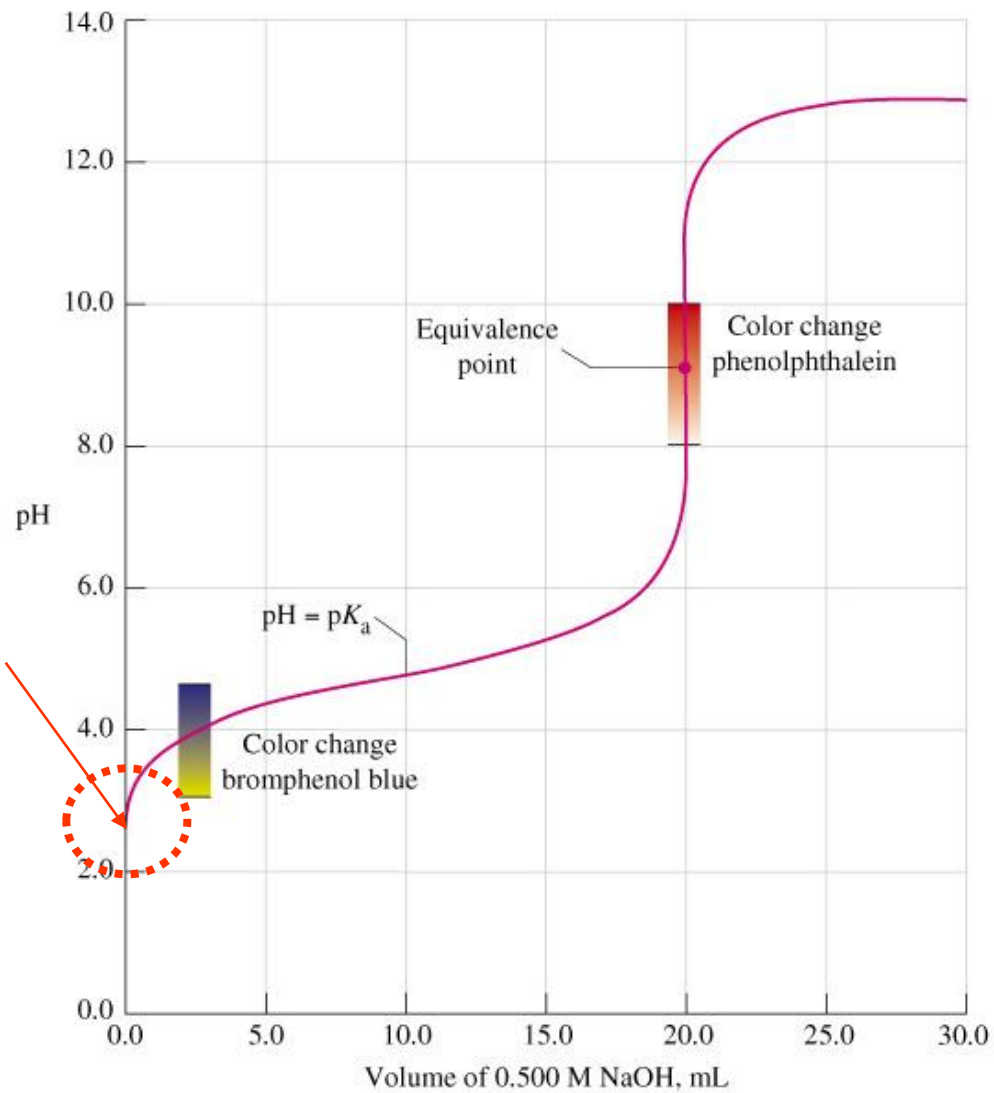
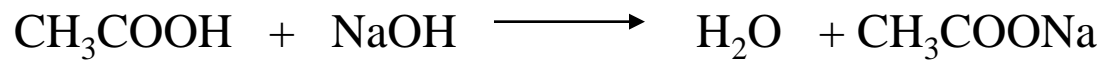
**1** *Let's have 0.1 M CH<sub>3</sub>COOH in 1 liter H<sub>2</sub>O*

$$[\text{H}^+] = \sqrt{K_a \times C_a}$$

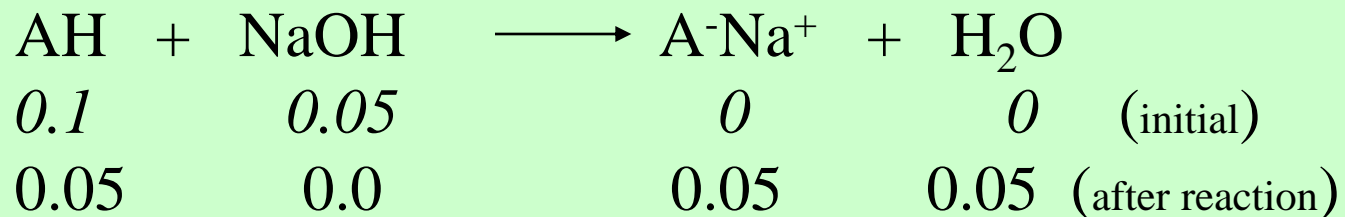
$$[\text{H}^+] = \sqrt{1.8 \times 10^{-5} \times 0.1} = 1.34 \times 10^{-3} \text{ M}$$

$$\text{pH} = \log 745 = 2.87$$

# Weak Acid neutralised with strong Base

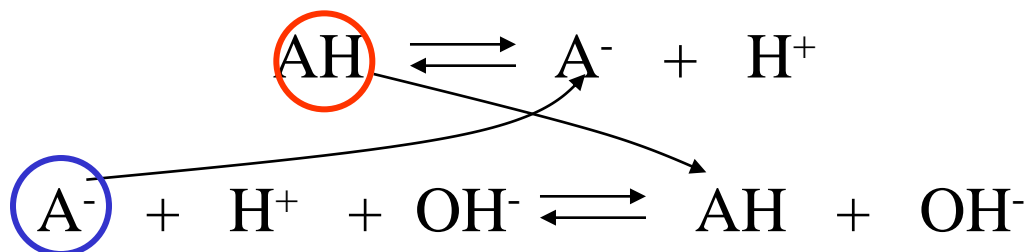






We have (same solution) **AH** (acido) and **A<sup>-</sup>** (conjugated base) from salt, both reactive!

the 2 equilibria (dissociation & hydrolysis) coexist with *common species*



AH is a H<sup>+</sup> donor

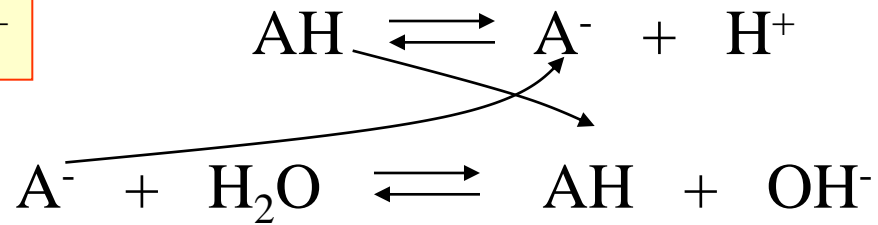
A<sup>-</sup> is a H<sup>+</sup> acceptor .....!

In the same solution

AH & A<sup>-</sup> reciprocally inhibit the parallel reaction, so called “*common species*” effect (Le Chatelier), so that

$$AH \approx C_a \quad A^- \approx C_s.$$

Let's find  $H^+$



$$K_a = \frac{[A^-][H^+]}{[AH]} \rightarrow [H^+] = K_a \frac{[AH]}{[A^-]}$$

$$\text{Log } 1/[H^+] = \text{log } 1/K_a + \text{log } [A^-]/[AH]$$

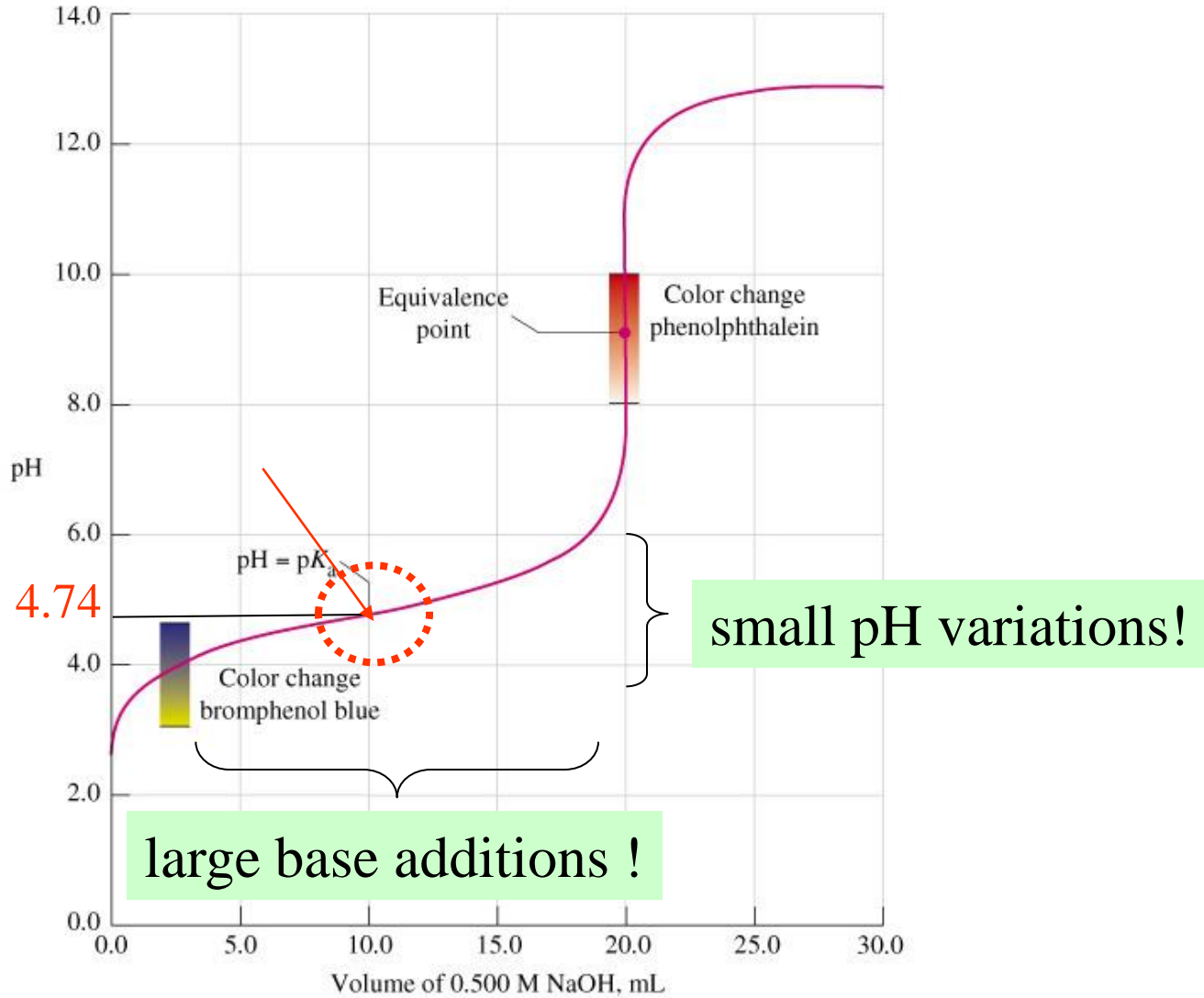
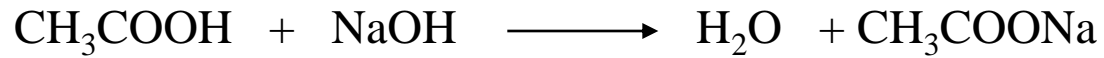
$$\text{pH} = \text{pK}_a + \text{log} \frac{C_s}{C_a}$$

Eq. *Henderson Hasselbalch* !!

Example

$$\text{pH} = \text{pK}_a + \text{log} \frac{0.05}{0.05} \rightarrow \text{pH} = \text{pK}_a = 4.74$$

50 %

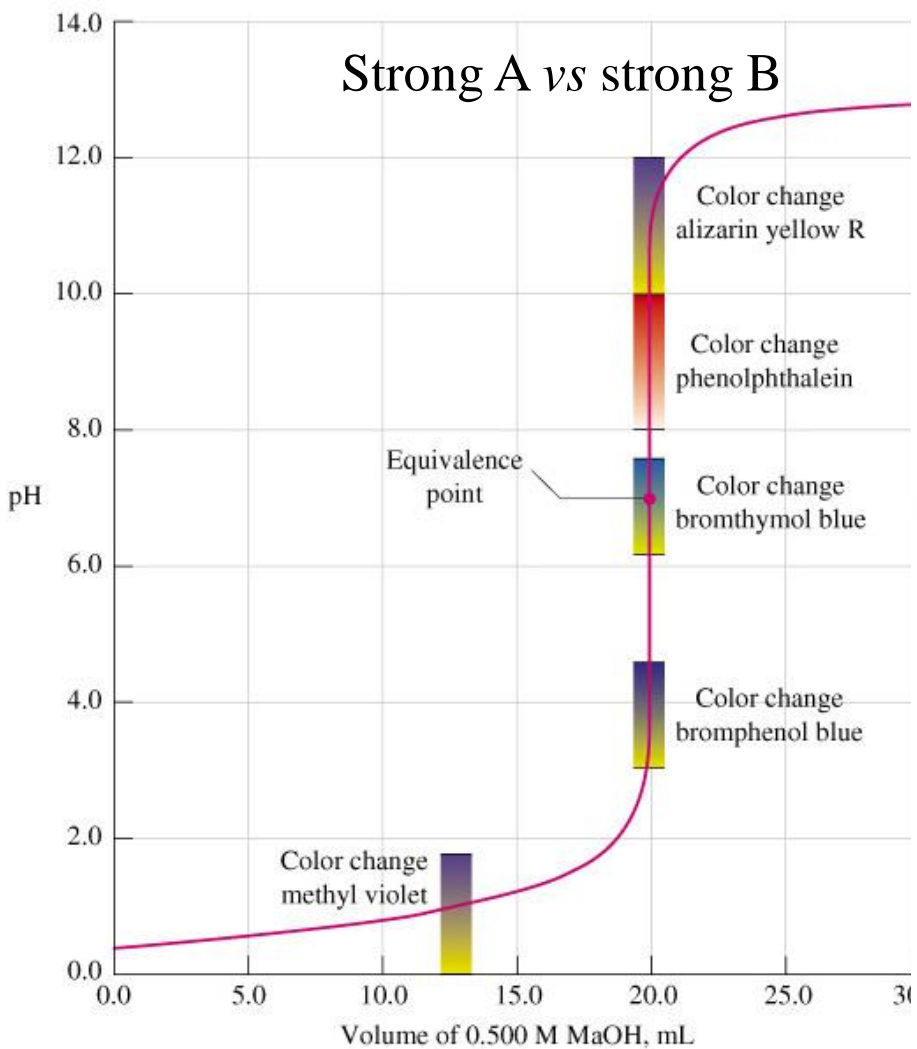


## Buffering effect - buffer power...!

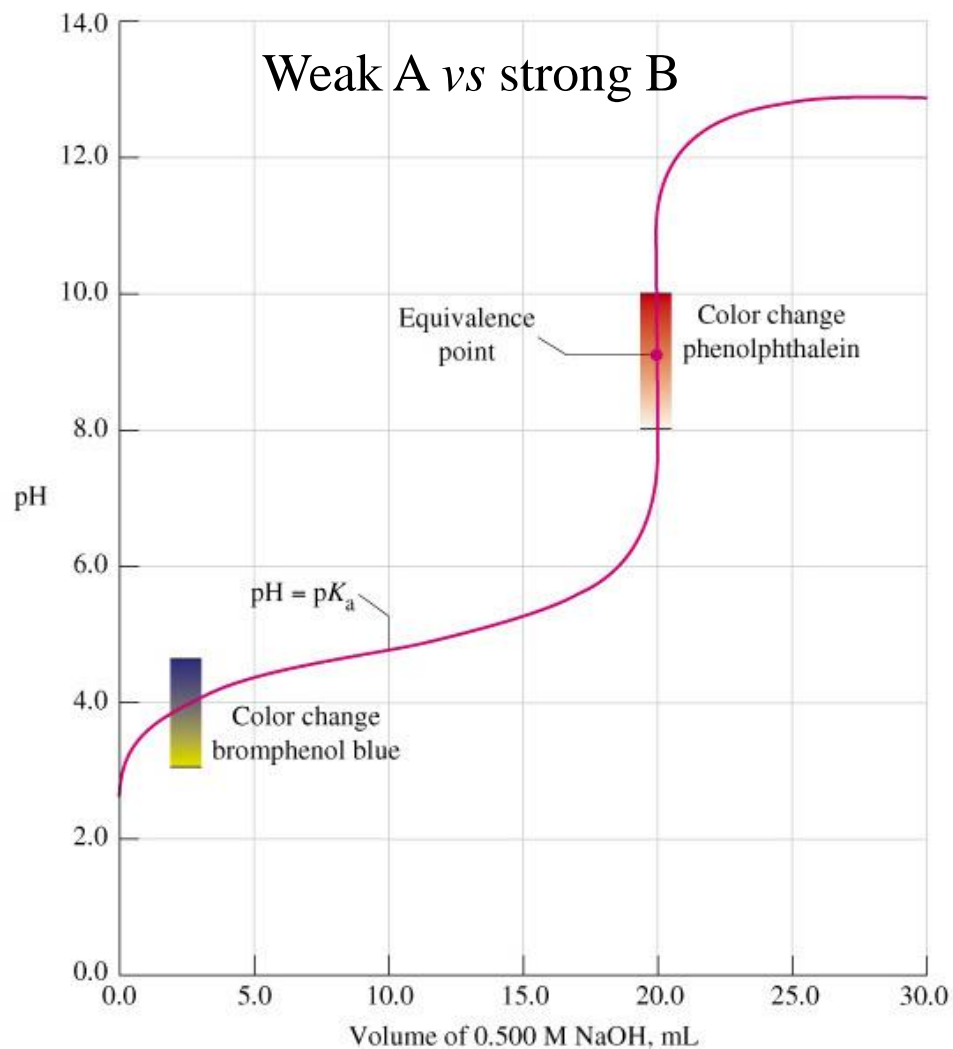
Better observed by adding  $H^+$  or  $OH^-$  in the pH region close to the pKa (weak acid) or pKb (weak base)

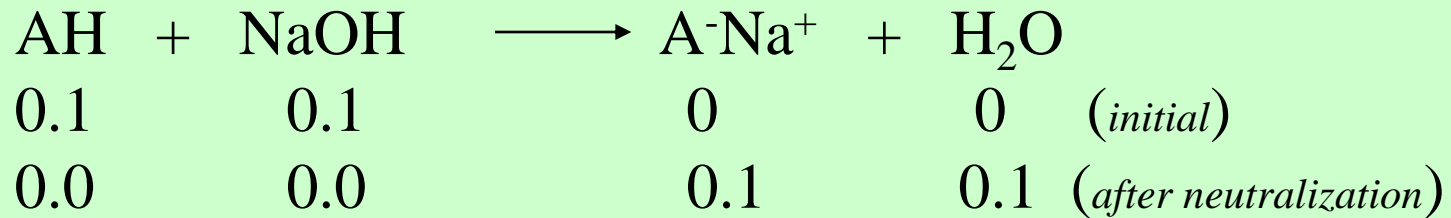
# To be compared !

## Strong A vs strong B



## Weak A vs strong B





generated A<sup>-</sup> 0.1 M (conjugated bases)  
alkaline hydrolysis

$$[\text{OH}^-] = \sqrt{K_i \times C_s}$$

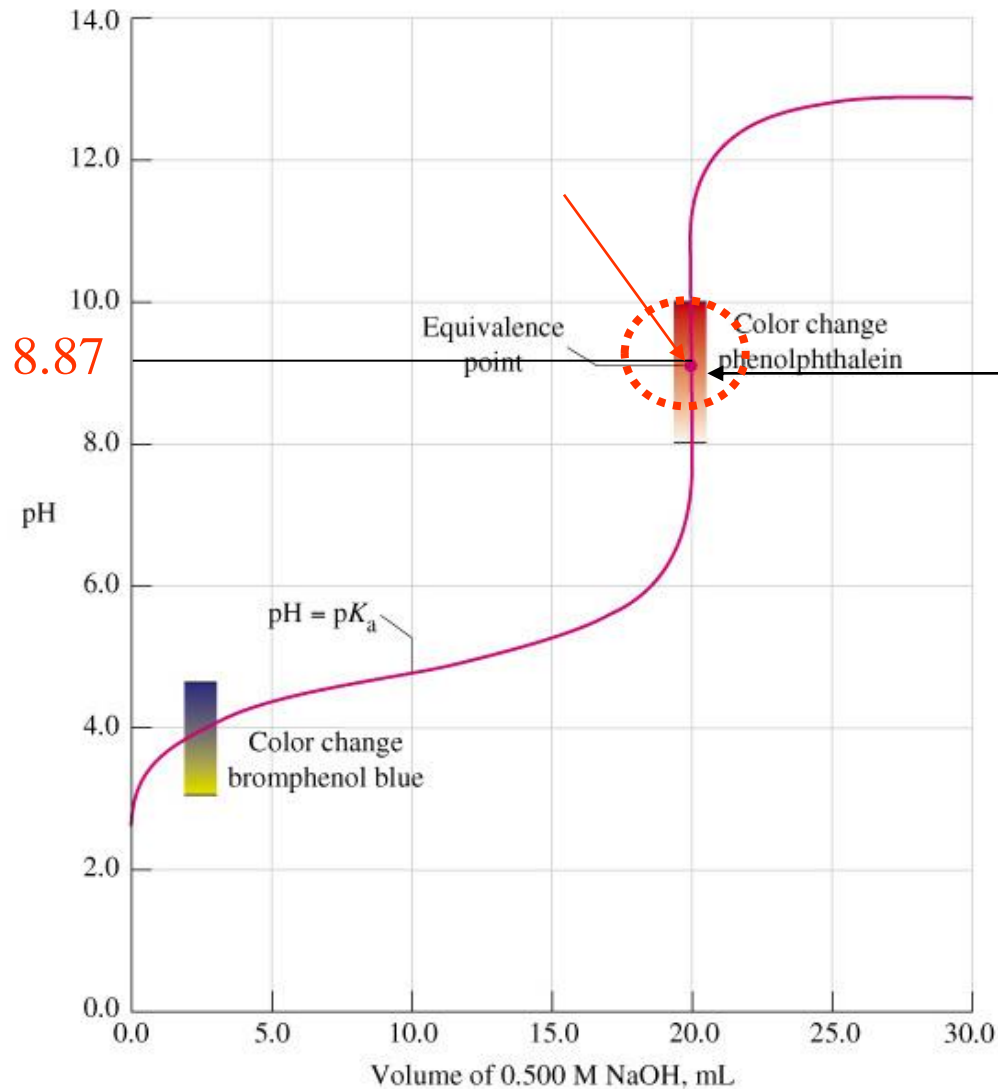
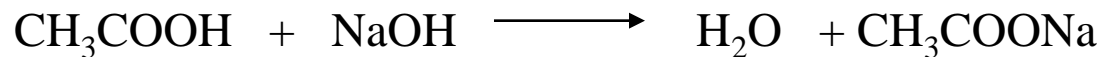
$$[\text{OH}^-] = \sqrt{K_w / K_a \times 0.1}$$

$$[\text{OH}^-] = \sqrt{1 \times 10^{-14} / 1.8 \times 10^{-5} \times 0.1}$$

$$[\text{OH}^-] = \sqrt{5.55 \times 10^{-11}} = 7.45 \times 10^{-6}$$

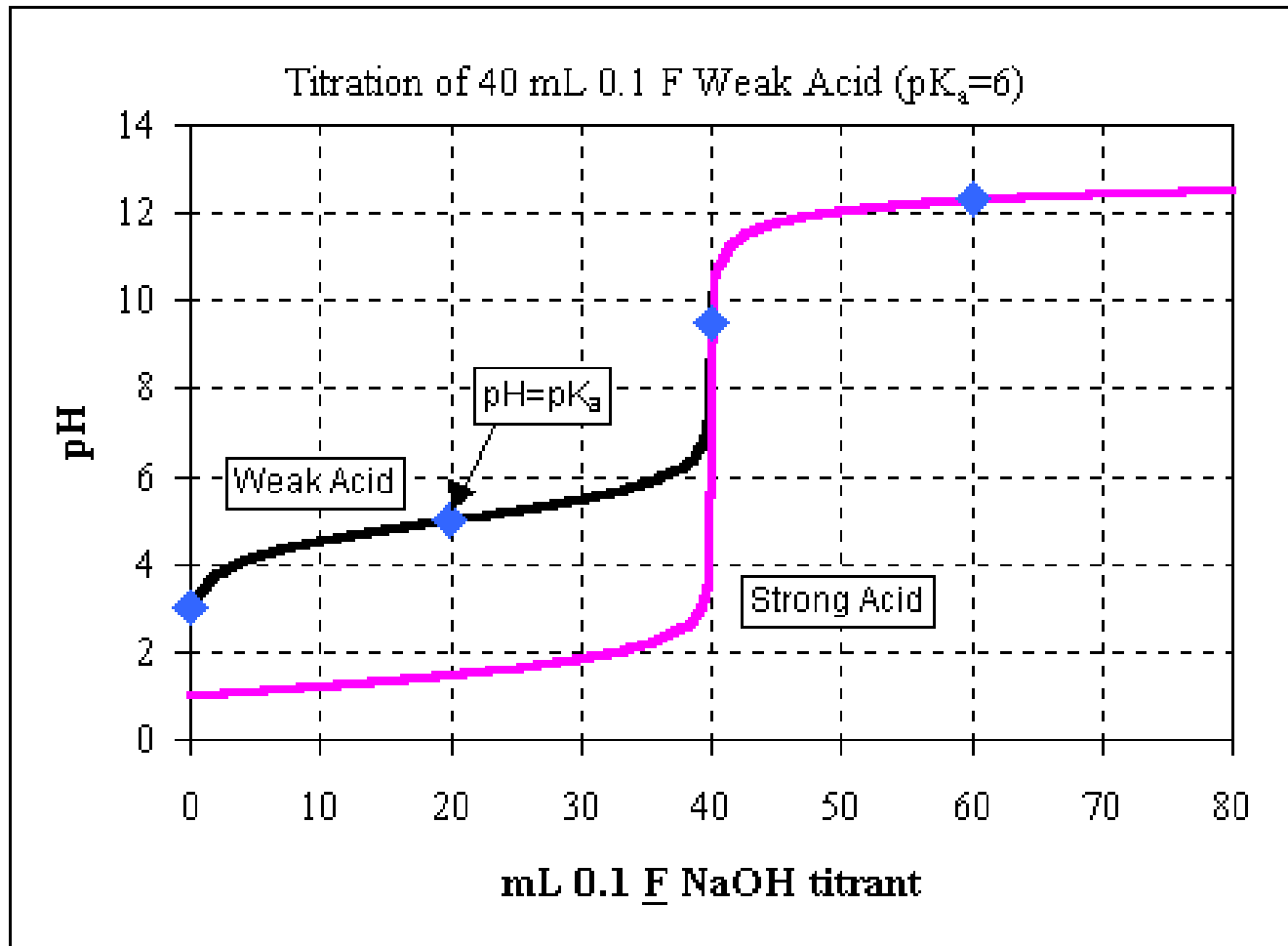
$$\text{pOH} = 5.13 \quad \rightarrow \quad \text{pH} = 14 - 5.13 = 8.87$$

100 %



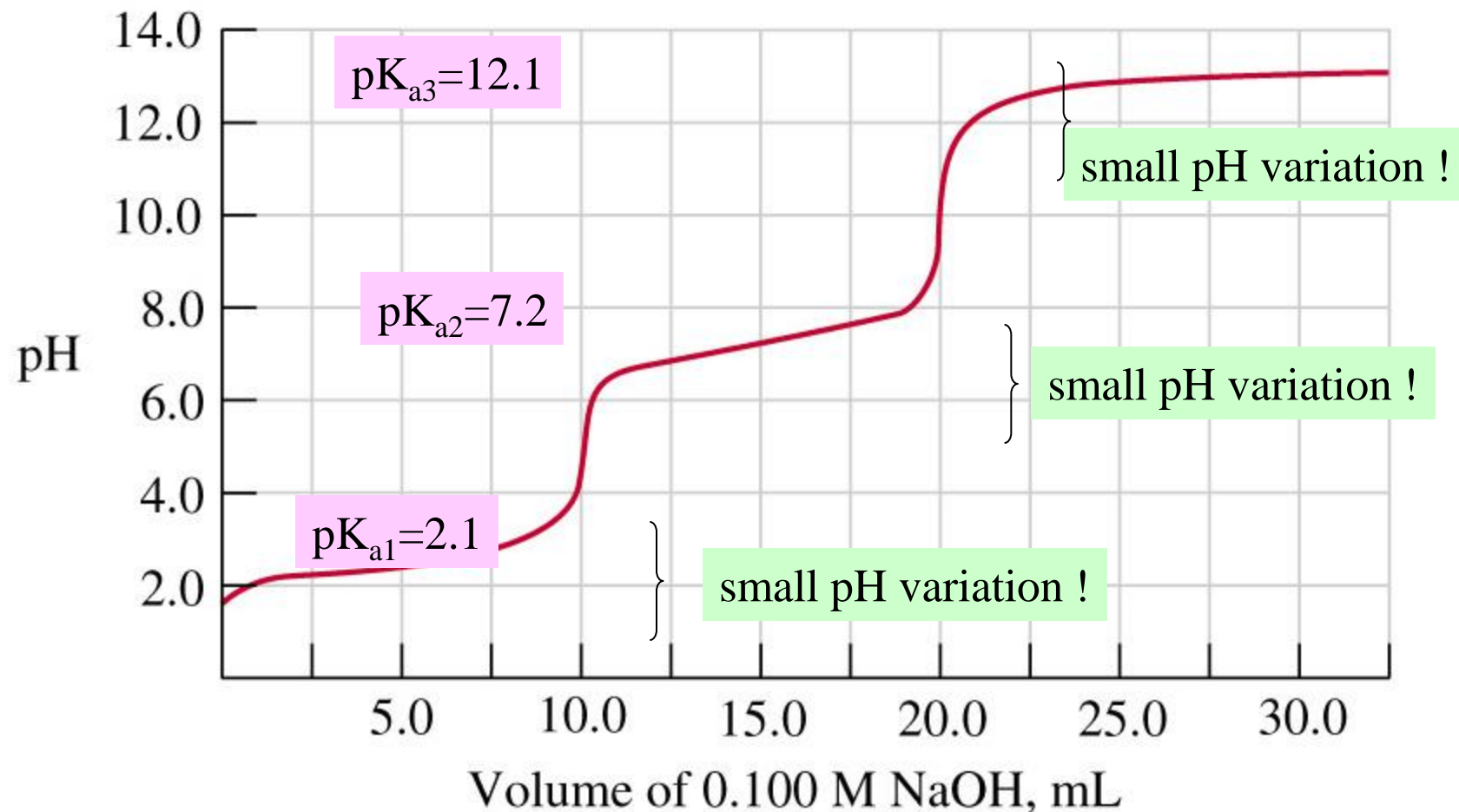
Equivalence point:  
(fully) neutralised weak acid  
with strong base...

# Comparing strong and weak acids





# Polyprotic acid $\text{H}_3\text{PO}_4$



small pH variation vs large amounts of base

## Buffer effect...!

*H+* or *OH* additions in the region  
of pH close to the 3 pKa values ( $\text{H}_3\text{PO}_4$ )  
induce small pH changes

.....

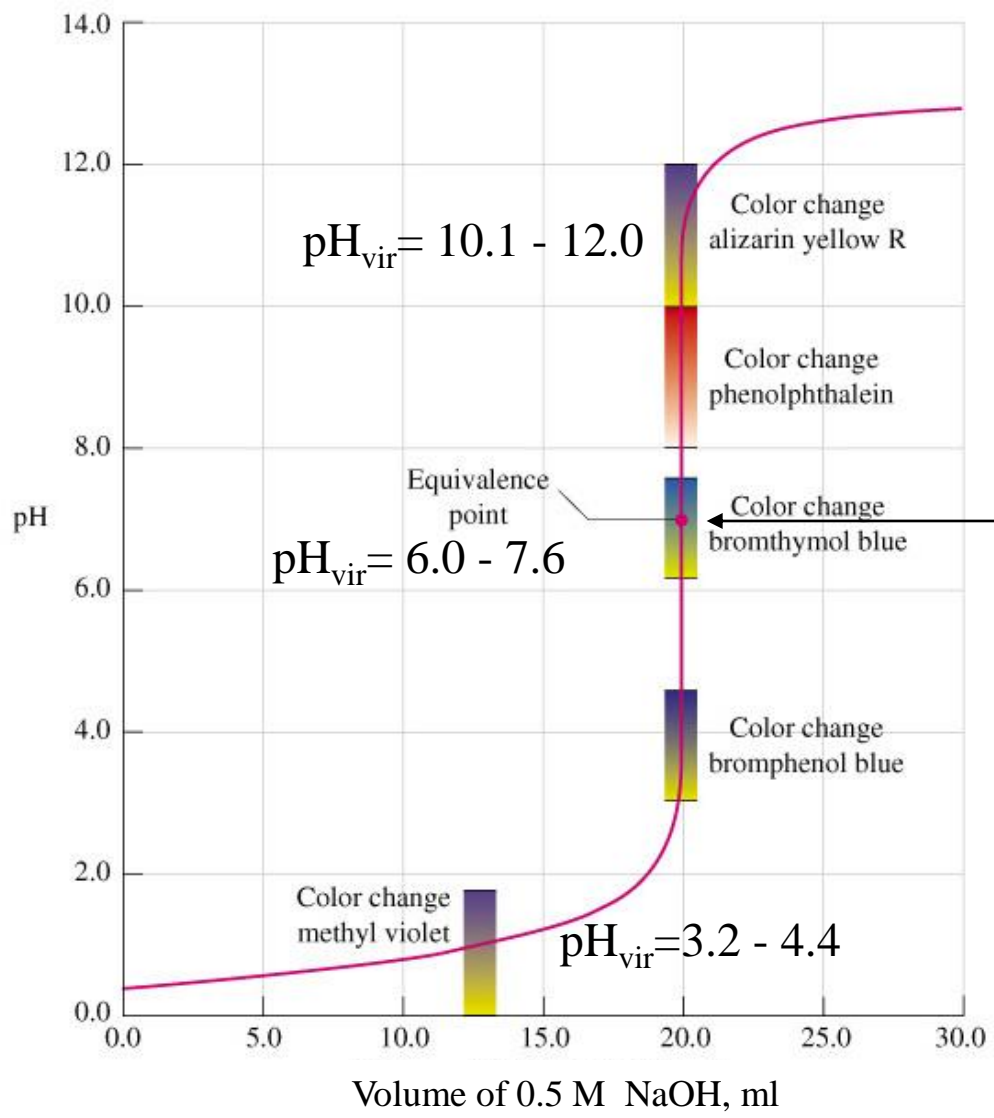
*The pH value  
can be*

- *worked out*
- *measured*



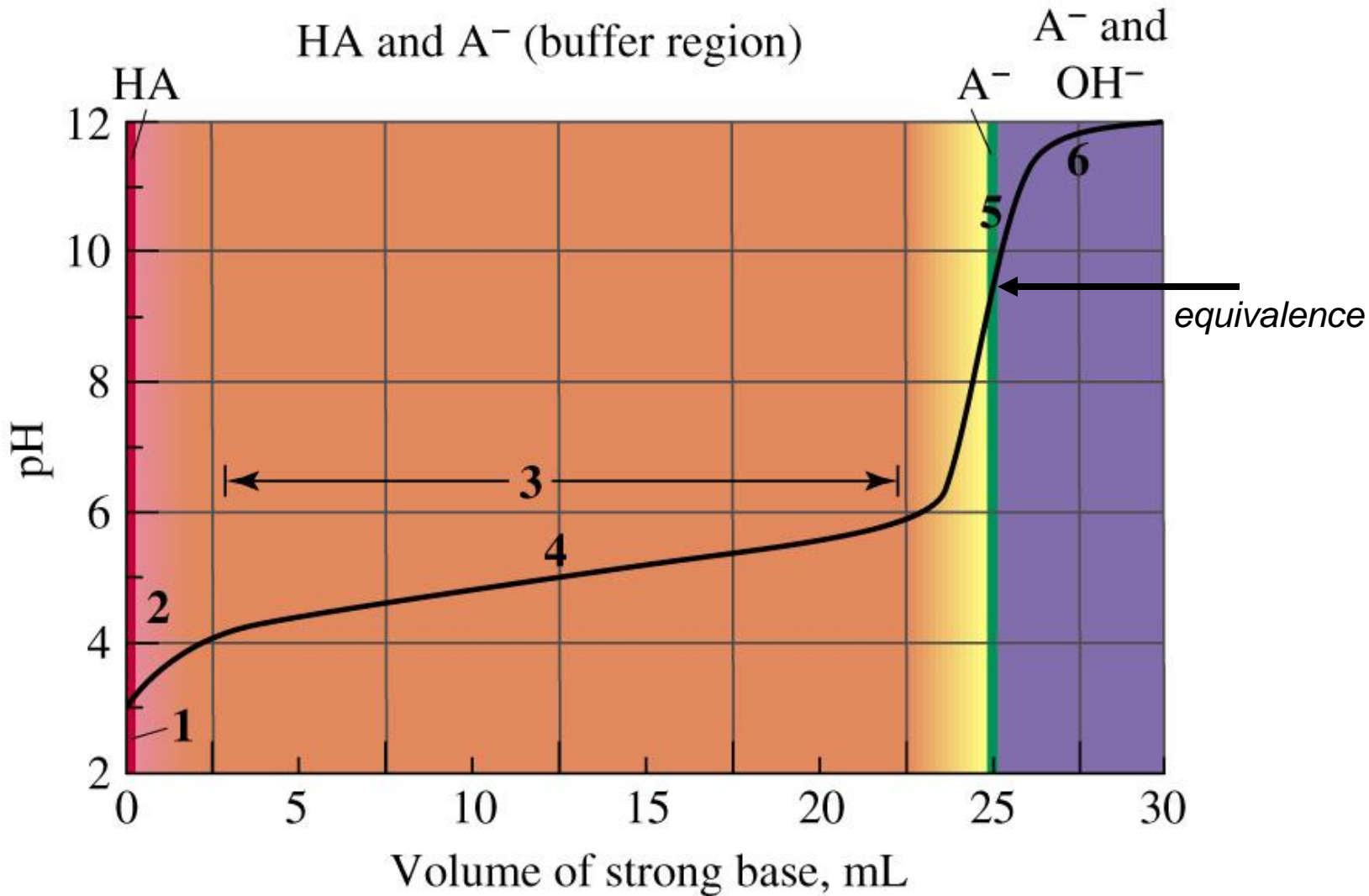
# ACID – BASE titration

Strong acid + strong base

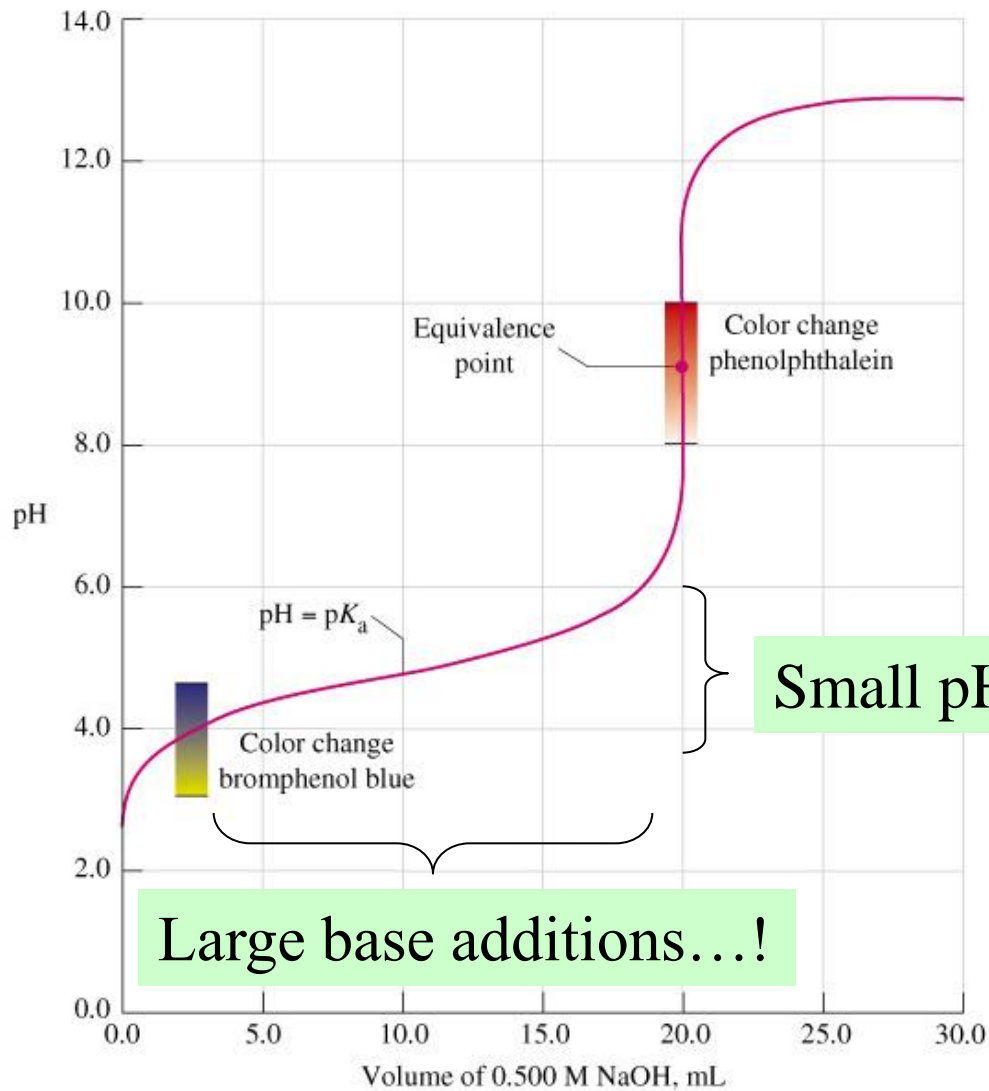


*Equivalence*  
pH = 7.0

# Small pH variations vs large amounts of base



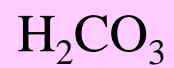
# Special condition when the acid is 50% neutralized



Small pH changes !

Large base additions...!

Buffer effect



$$K_{a_1} = 4 \times 10^{-7} \quad K_{a_2} = 10^{-11}$$



$$K_b = 10^{-14} / 4 \times 10^{-7} = 2.5 \times 10^{-8}$$