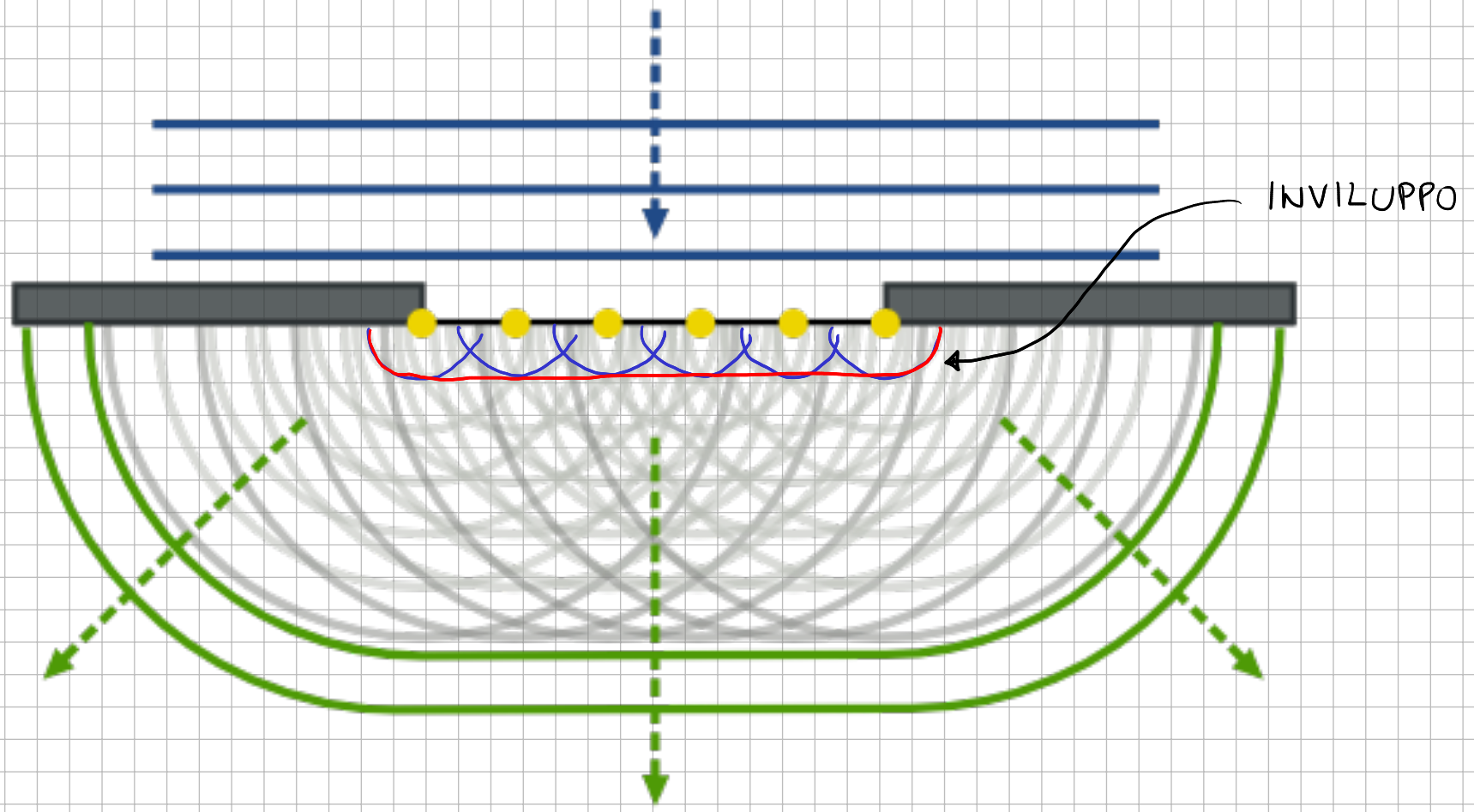
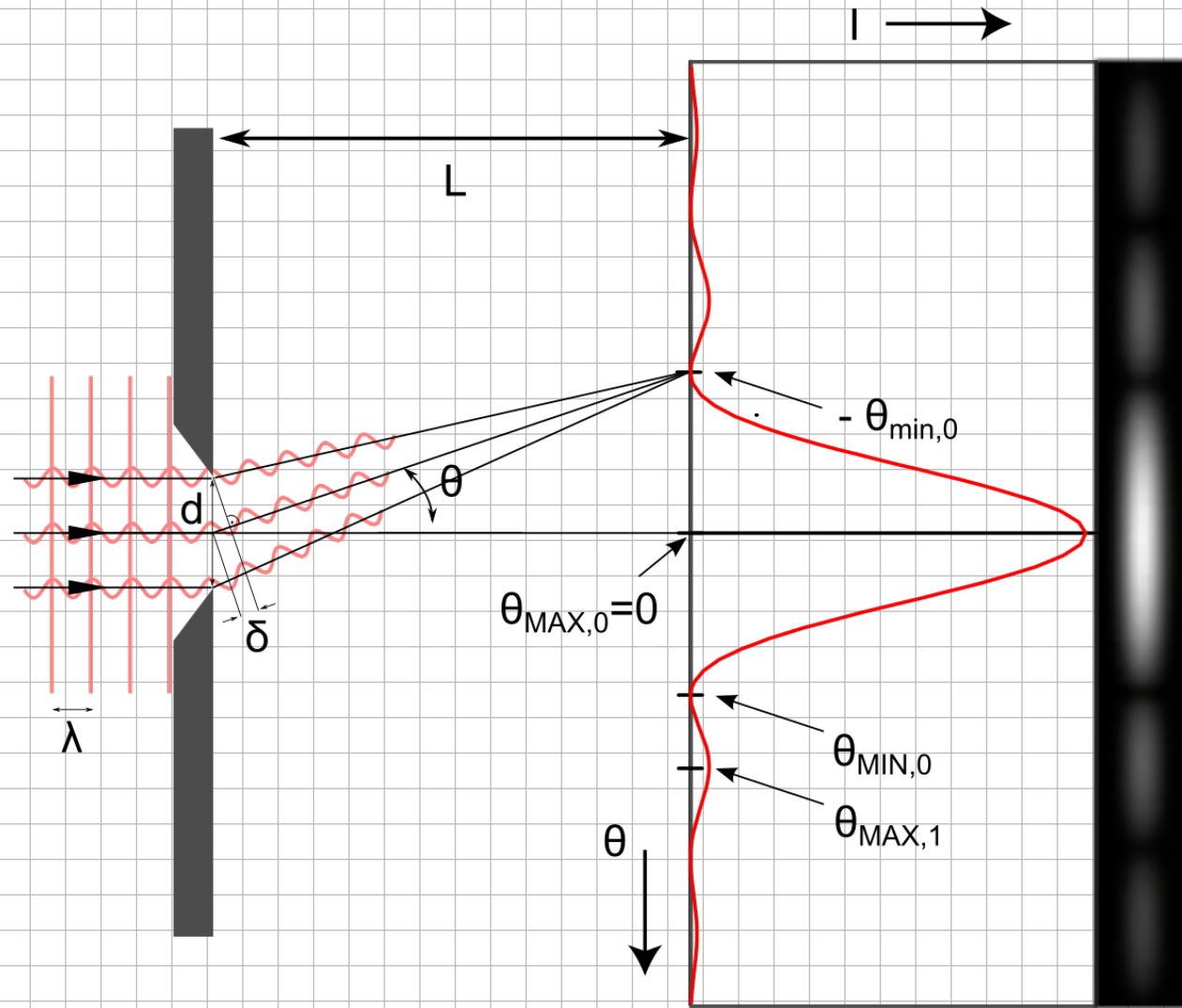


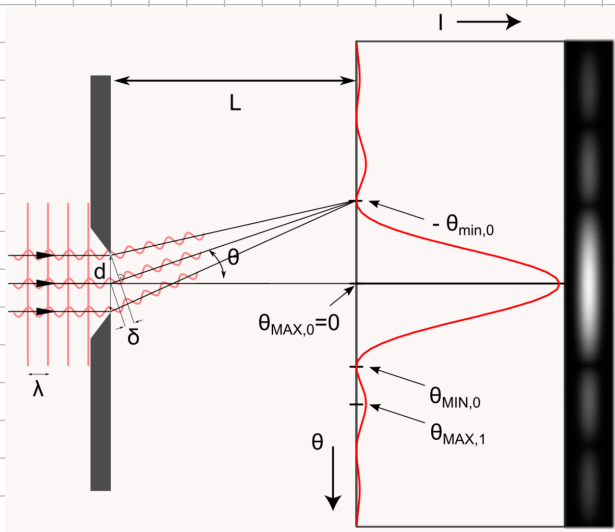
DIFFRAZIONE : interferenza di un'onda con se stessa

PRINCIPIO HUYGENS-FRESNEL



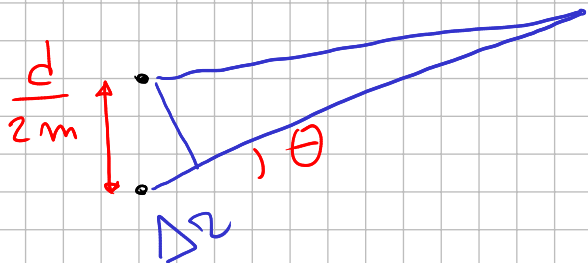
DIFFRAZIONE DI FRAUNHOFER





- dividiamo la fenditura in $2m$ parti, $m \geq 1$
- due onde virtuali vicine distano $\frac{d}{2m}$, d larghezza fenditura
- la diff. di cammino ottico è $\Delta r = \frac{d}{2m} \sin \theta$
- si hanno minimi quando $\frac{d}{2m} \sin \theta_{\text{MIN}} = \frac{\lambda}{2} \Rightarrow$

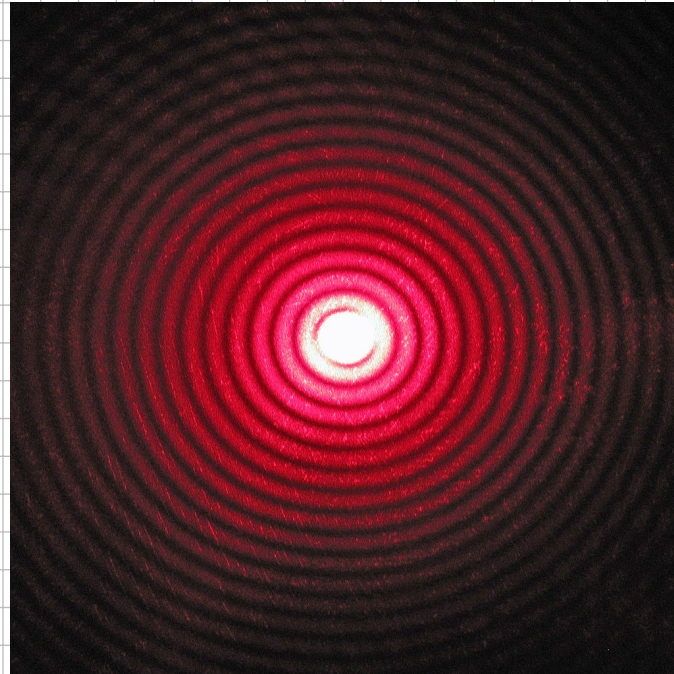
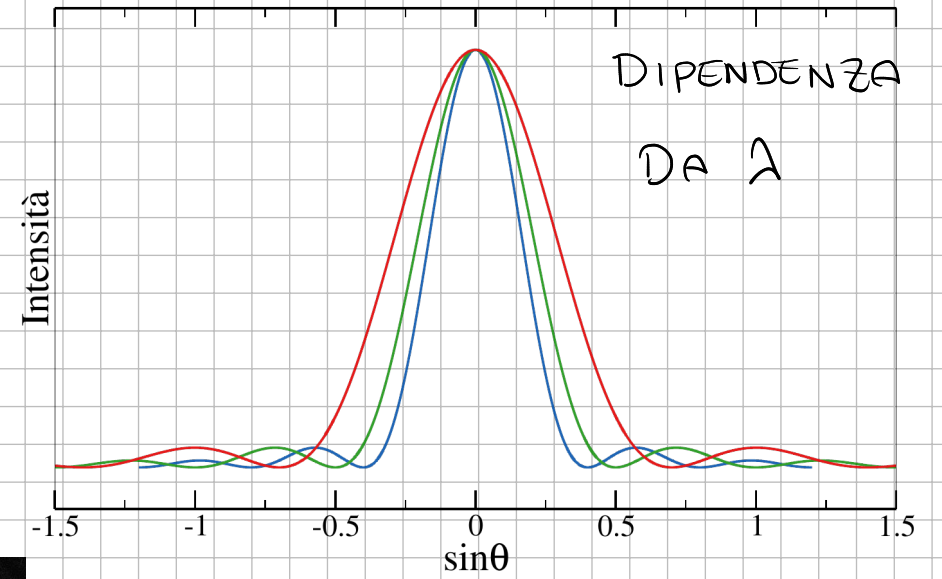
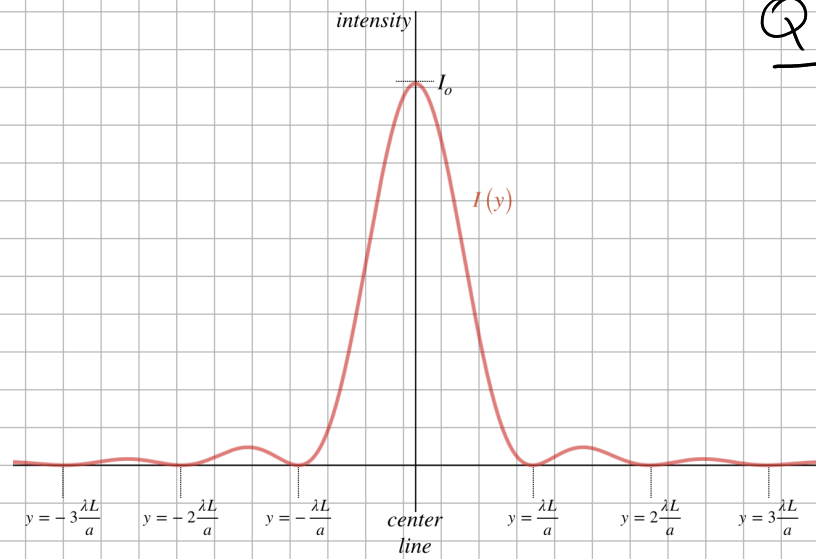
$$\sin \theta_{\text{MIN}} = \frac{\lambda}{d} m, \quad m \geq 1$$



- con una trattazione un po' complicata,

$$I(\theta) = I_{\text{MAX}} \left[\frac{\sin \left(\frac{\pi d}{\lambda} \sin \theta \right)}{\frac{\pi d}{\lambda} \sin \theta} \right]^2$$

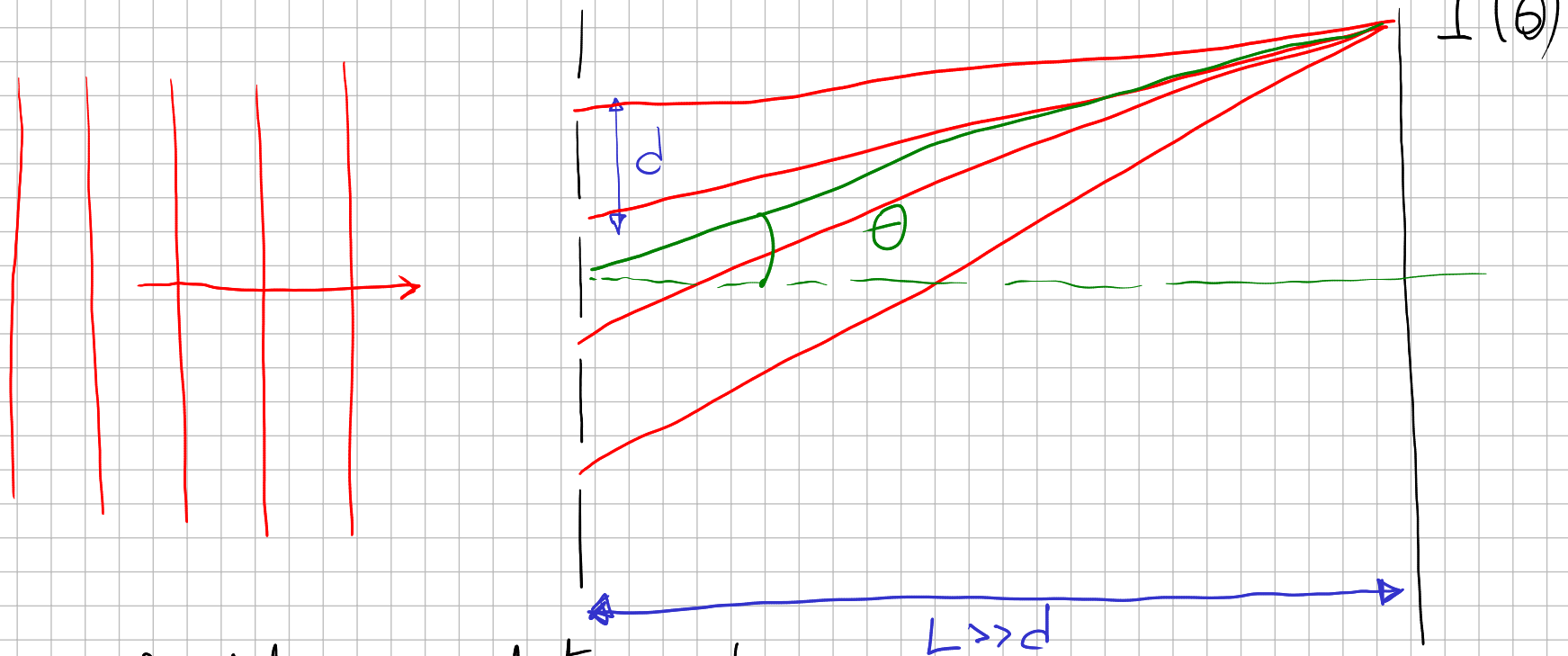
QUALCHE FIGURA



APERTURA
CIRCOLARE

INTERFERENZA TRA MOLTE SORGENTI

RETICOLO DI DIFFRAZIONE



N fenditure e distanza d

$x, \frac{x}{L} = \tan \theta$
 $\approx L \gg d$ allora
 $\tan \theta \approx \sin \theta \Rightarrow$
 $\frac{x}{L} \approx \sin \theta$

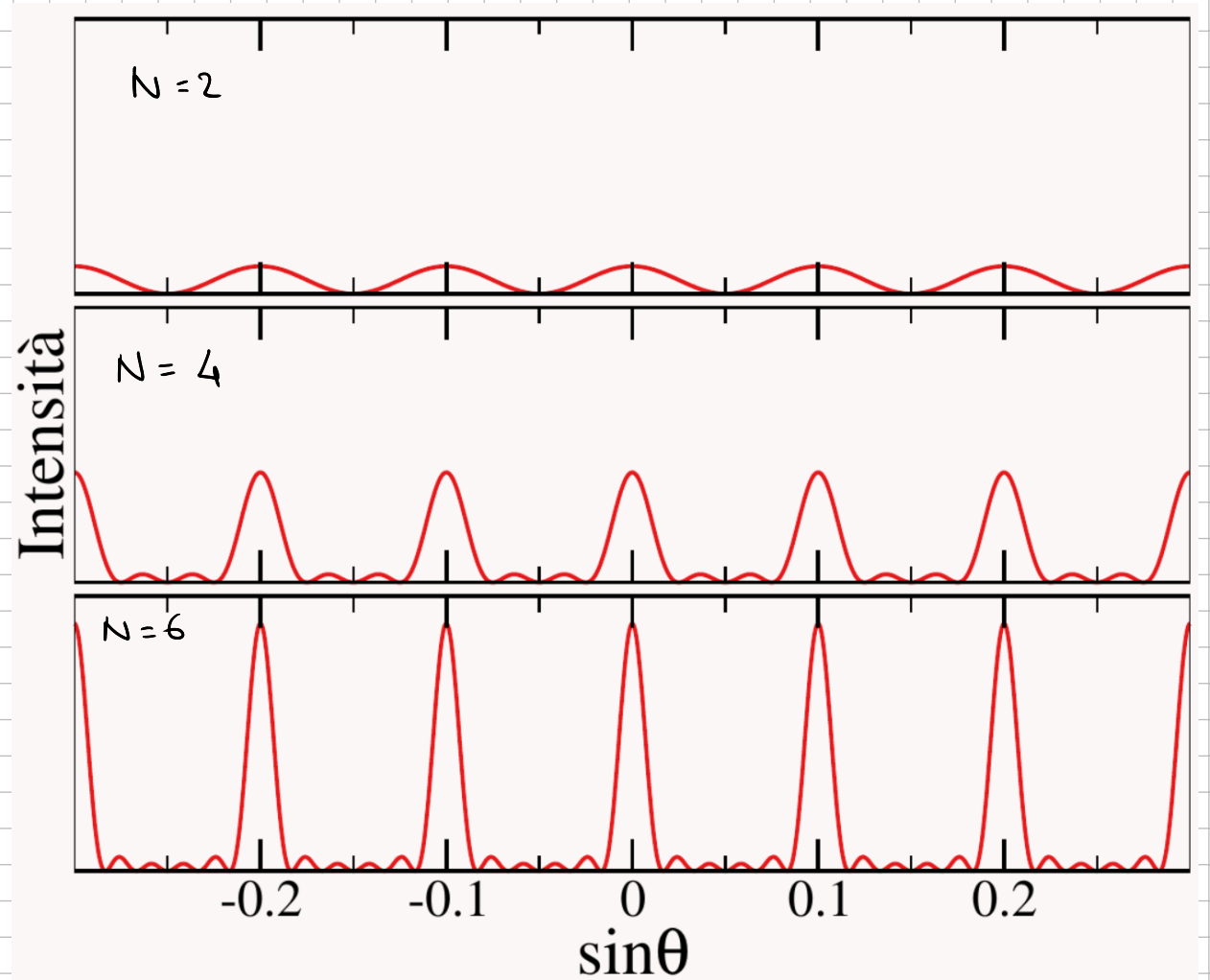
$$I(\theta) = I_0 \left[\frac{\sin\left(\frac{\pi Nd}{\lambda} \sin\theta\right)}{\sin\left(\frac{\pi d}{\lambda} \sin\theta\right)} \right]^2$$

$$I(\theta_{\text{MAX}}^{\text{PRINC.}}) \propto N^2$$

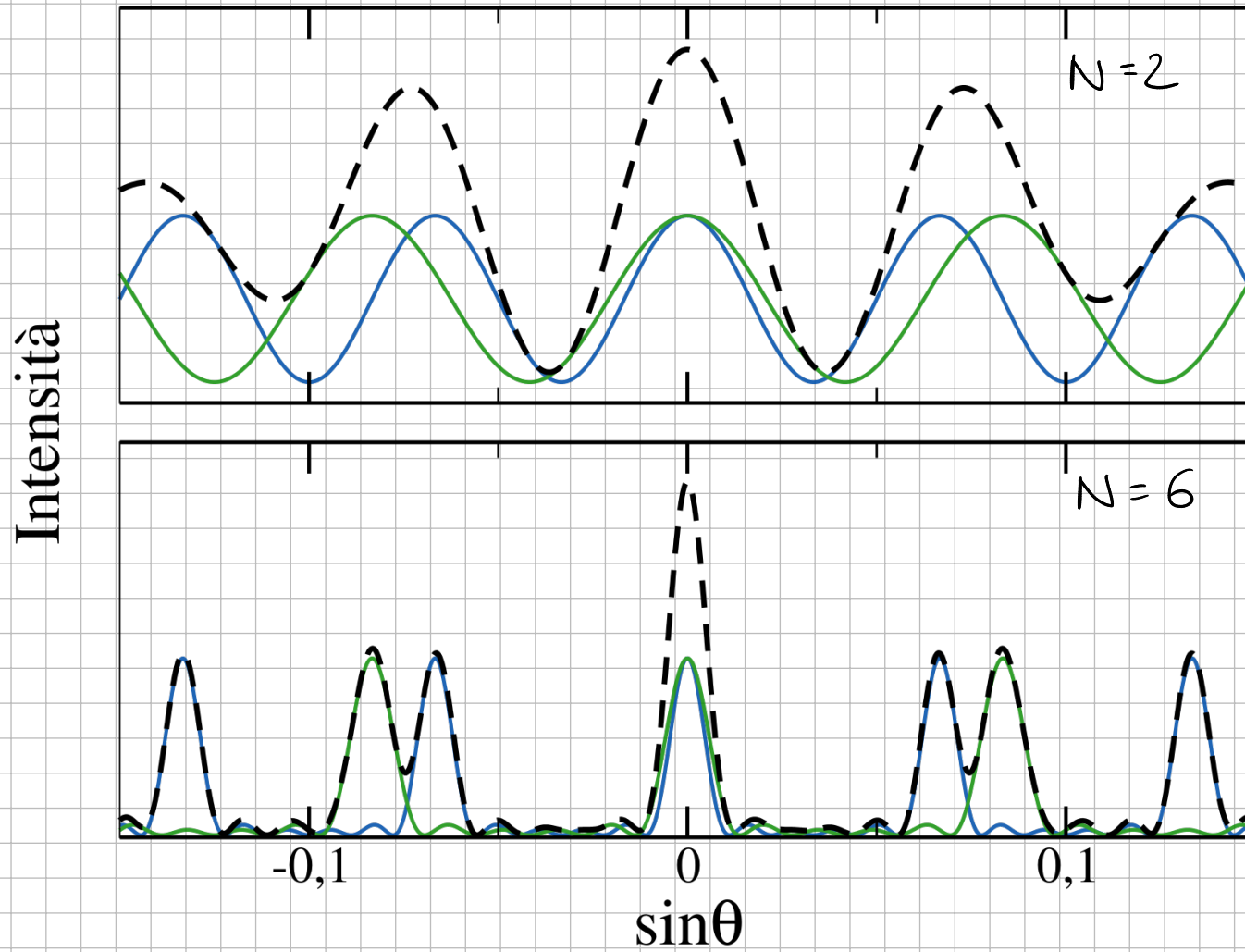
di MASSIMI SECONDARI: $N - 2$

$\Delta\theta$ distanza tra massimi e
minimi adiacenti:

$$\Delta\theta = \pm \frac{\lambda}{Nd}$$



EFFETTI CROMATICI



$$I(\theta) = I_0 \left[\frac{\sin\left(\frac{\pi N d \sin\theta}{\lambda}\right)}{\sin\left(\frac{\pi d \sin\theta}{\lambda}\right)} \right]^2, \text{ massimi principali quando}$$

$$\frac{\pi d \sin\theta}{\lambda} = \pi m \Rightarrow \sin\theta_{\text{MAX}}^{\text{PRINC}} = \frac{\lambda}{d} m$$

• distanza tra due massimi $\Delta(\sin\theta) = \frac{\lambda}{d} \approx \frac{\Delta x}{L} \Rightarrow d = \frac{\lambda L}{\Delta x}$

$$d = \frac{6.5 \cdot 10^{-8} \text{ m} \cdot 1.9 \text{ m}}{0.15 \text{ m}} = \frac{6.5 \cdot 1.9}{1.5 \cdot 10^{-1}} \cdot 10^{-7} \text{ m} \approx 8.23 \cdot 10^{-6} \text{ m} = 8.23 \mu\text{m}$$

$$d_{\text{TEORICO}} = 8.3 \mu\text{m}$$