

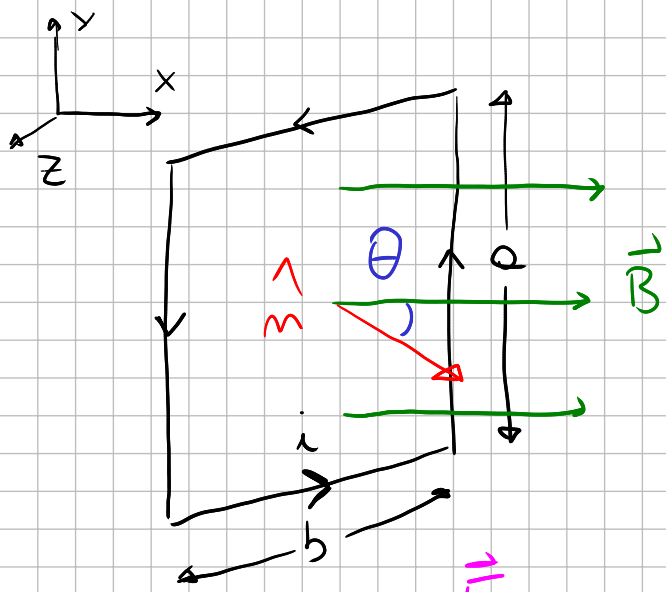
MOMENTI MECCANICI SU CIRCUITI

se \vec{B} è uniforme, $\vec{F} = i \vec{AC} \times \vec{B}$ forze applicate
sul filo

$\vec{F} \perp \vec{AC}$, $\vec{F} \perp \vec{B}$

• = VETTORE USCENTE

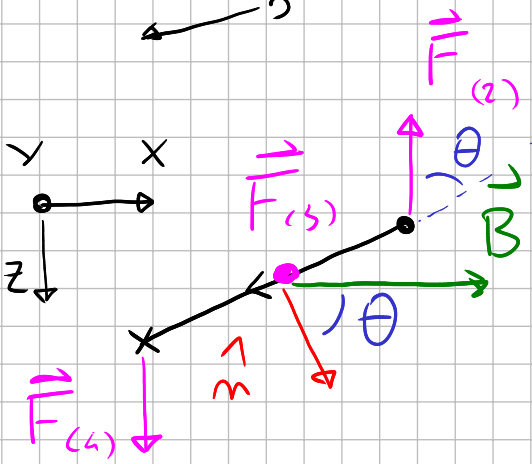
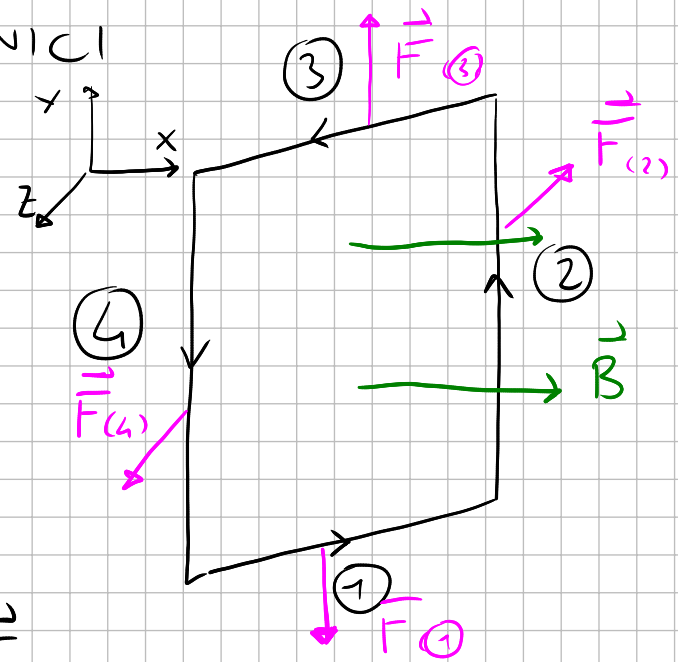
x = VETTORE ENTRANTE



MOMENTI MECCANICI

$$\vec{B} \cdot \hat{n} = B \cos \theta$$

$$\vec{T} = i A \vec{C} \times \vec{B}$$



$$F_{(1)} = F_{(3)}, \quad \vec{T}_{(1)} = -\vec{T}_{(3)}$$

$$F_{(2)} = i a B = F_{(4)}$$

$$|\vec{M}| = |\vec{r} \times \vec{F}_{(2)}| = r F_{(2)} \sin \theta = b i a B \sin \theta =$$

$$= i \sum \underbrace{B \sin \theta}_{|\hat{n} \times \vec{B}|} = i \sum \underbrace{\hat{n}}_{\vec{m}} \times \vec{B} = |\vec{m} \times \vec{B}|$$

\vec{m} momento di dipolo magnetico del circuito

RECAP

$$|\vec{M}| = |\vec{m} \times \vec{B}| \rightarrow \underline{\vec{M} = \vec{m} \times \vec{B}}$$

$$U_e = -\vec{m} \cdot \vec{B}$$

$$[m] = \text{Am}^2 = \frac{\text{J}}{\text{T}}$$

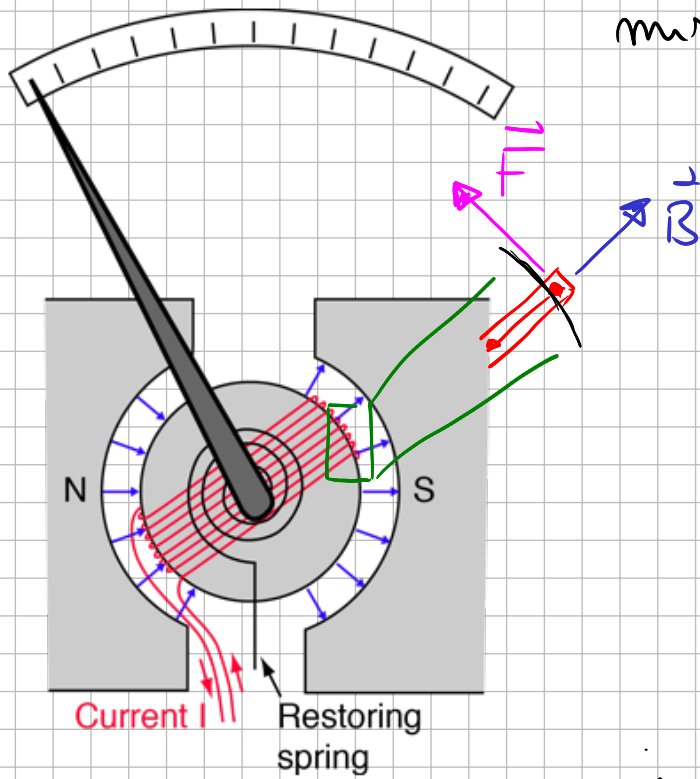
DIPOLLO ELETTRICO

$$\underline{\vec{M} = \vec{p} \times \vec{E}}$$

$$U_e = -\vec{p} \cdot \vec{E}$$

ESEMPIO: GALVANOMETRO

misura la corrente



$$M_s = i \sum B$$

momento meccanico su una
singola spira

$$M_H = N M_s$$

momento meccanico totale, N numero
di spire

$$M_E = k \theta$$

costante delle molle angolare

in equilibrio, $M_E = M_H \Rightarrow i \sum B N = k \theta \Rightarrow$

$$i = \frac{k \theta}{\sum B N}$$